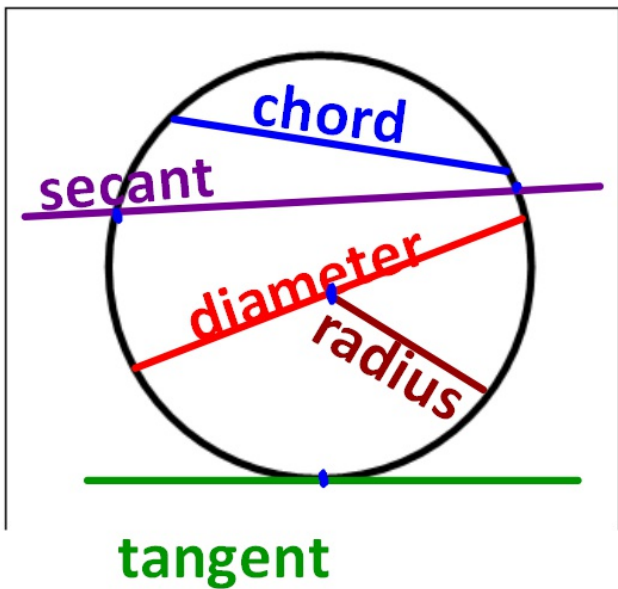


CHAPTER 12: CIRCLES

SECTION 12.1: BASIC TERMS

Standards:

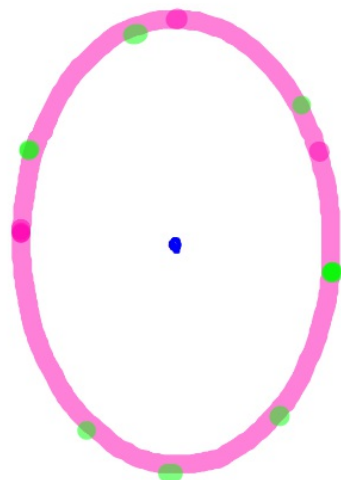
7.0 - Students prove and use theorems involving the properties of parallel lines cut by a transversal, the properties of quadrilaterals, and the properties of circles.



CIRCLE

A circle is the set of all points in a plane at a given distance from a given point in that plane.

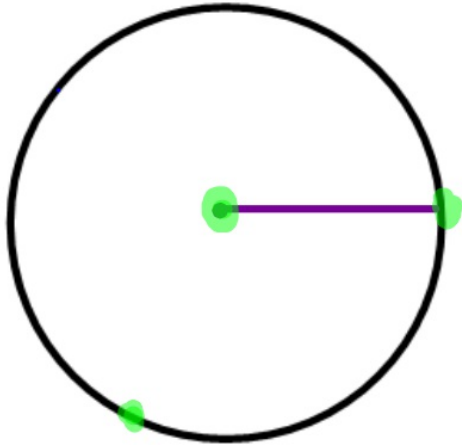
The given point is the center and the given distance is the radius.



RADIUS

Any **segment** that joins the center to a point on the circle.

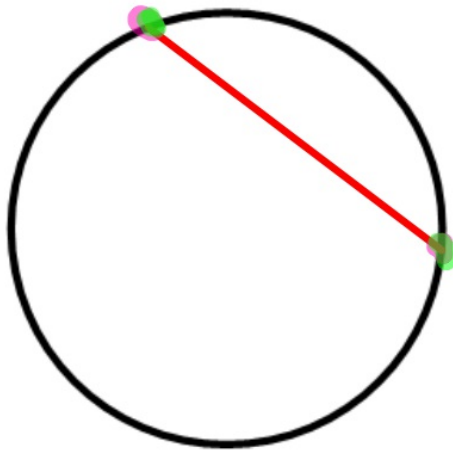
All radii are \cong



.

CHORD

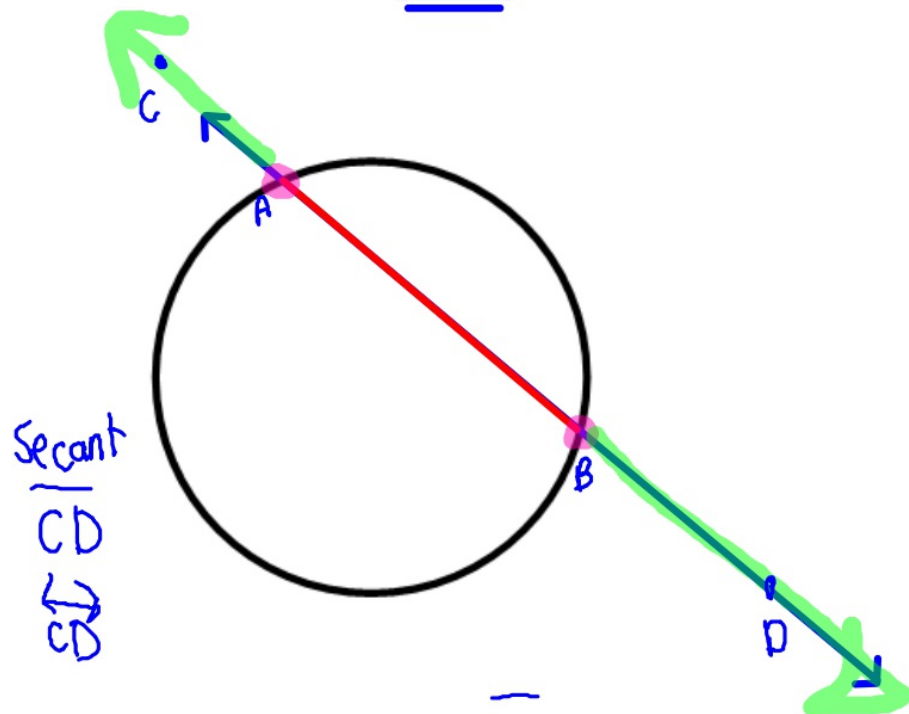
A segment whose endpoints lie on a circle



∴

SECANT

A LINE that contains a chord.



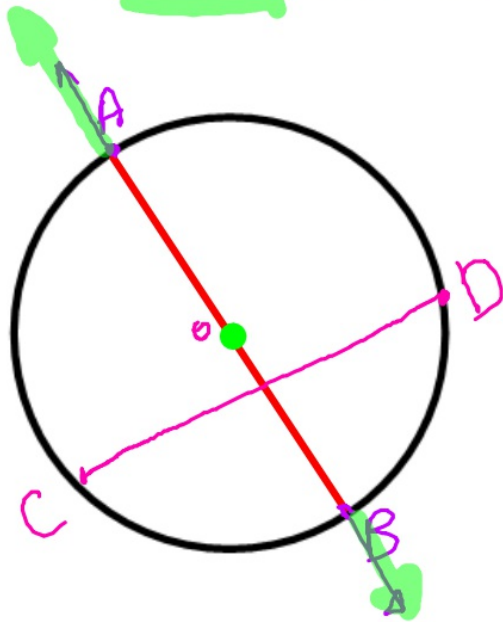
Secant
↔
CD
↔
CD

· CHORD \overline{AB}

Secant ↔
AB

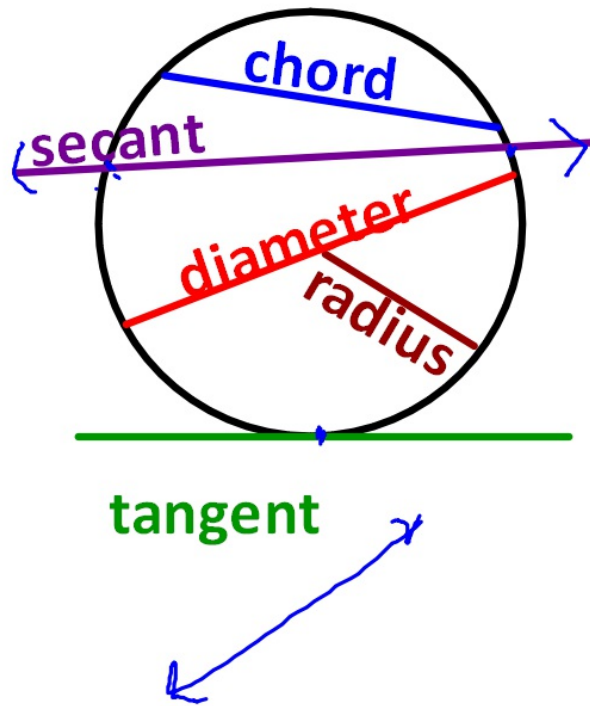
DIAMETER

A chord that contains the center of a circle.



The Diameter is
the longest
chord of a
circle

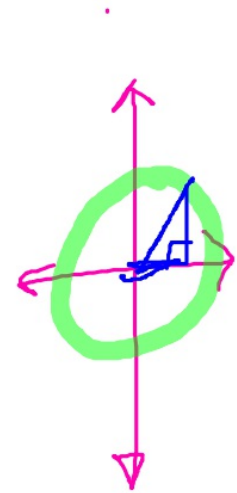
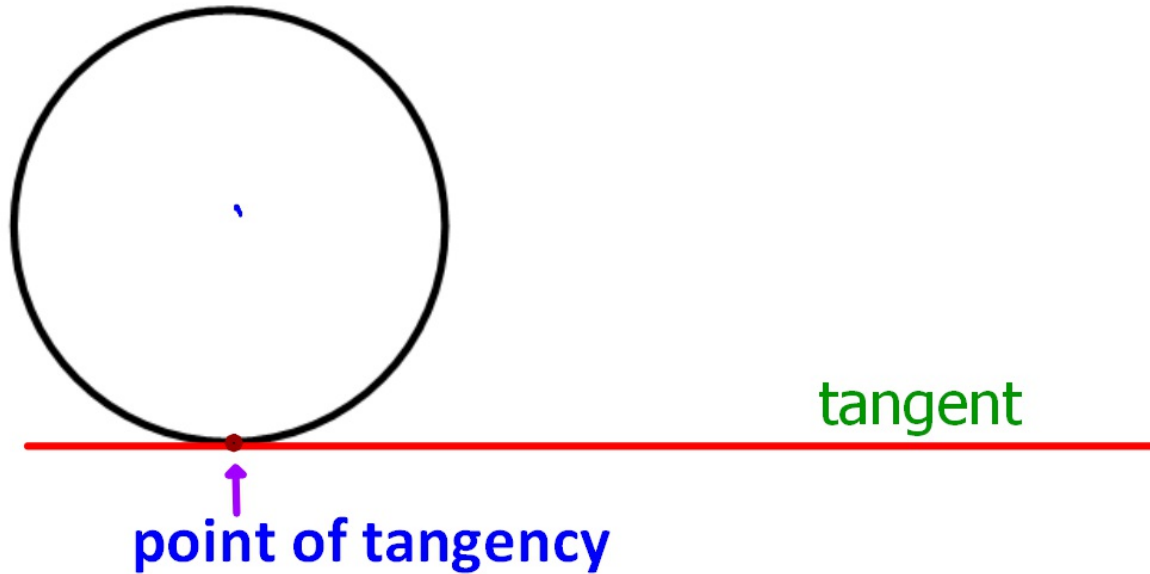
$\overline{AB} > \overline{CD}$
Diam. Chord



Can you guess the definition of a tangent?

TANGENT

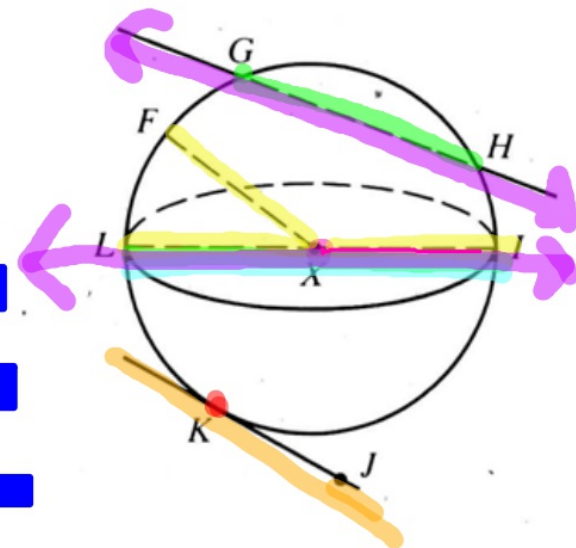
A **line** in the plane of a circle that intersects the circle in exactly one point, called the **point of tangency**.



SPHERE

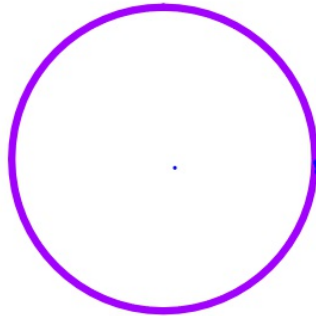
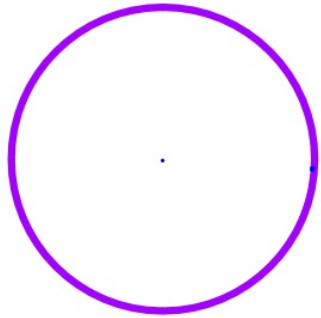
A sphere with center O and radius r is the set of all points in space at a distance r from point O

- center: []
- radii: []
- chords: []
- diameter: []
- secants: []
- tangent: []
- point of tangency: []



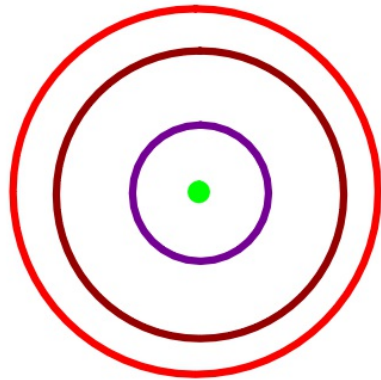
CONGRUENT CIRCLES/SPHERES

have \cong radii



CONCENTRIC CIRCLES

circles that lie in the same plane and have the same center

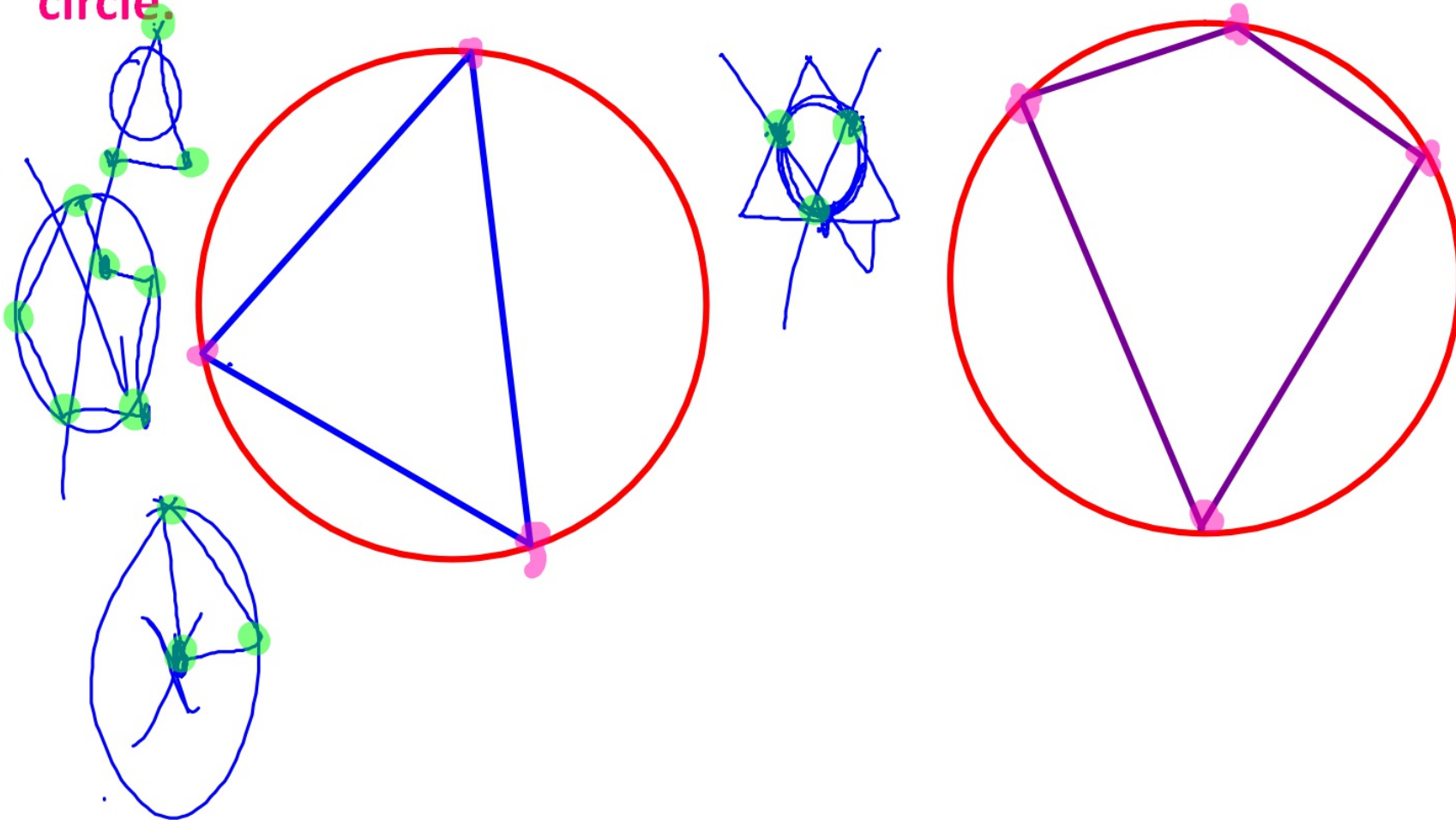


CONCENTRIC SPHERES

have the same center

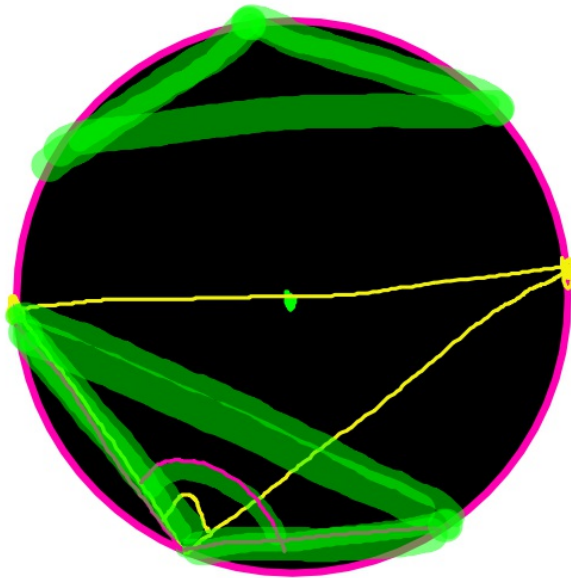
INSCRIBED POLYGON/CIRCUMSCRIBED CIRCLE

A polygon is inscribed in a circle and the circle is circumscribed about the polygon when each vertex of the polygon lies on the circle.



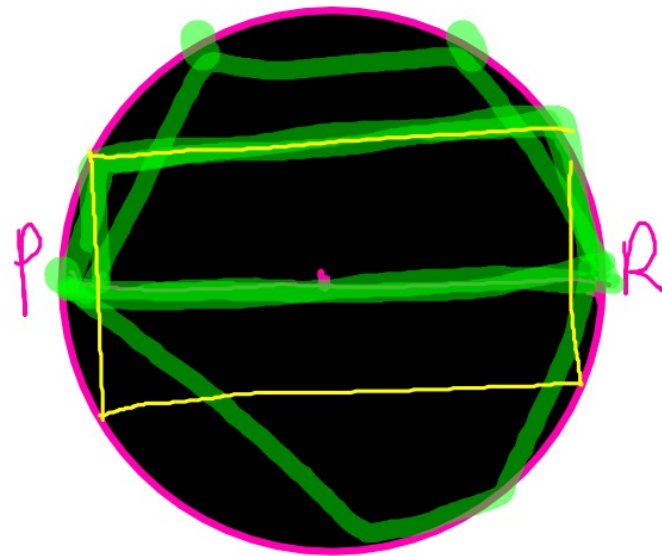
Draw these figures (if possible):

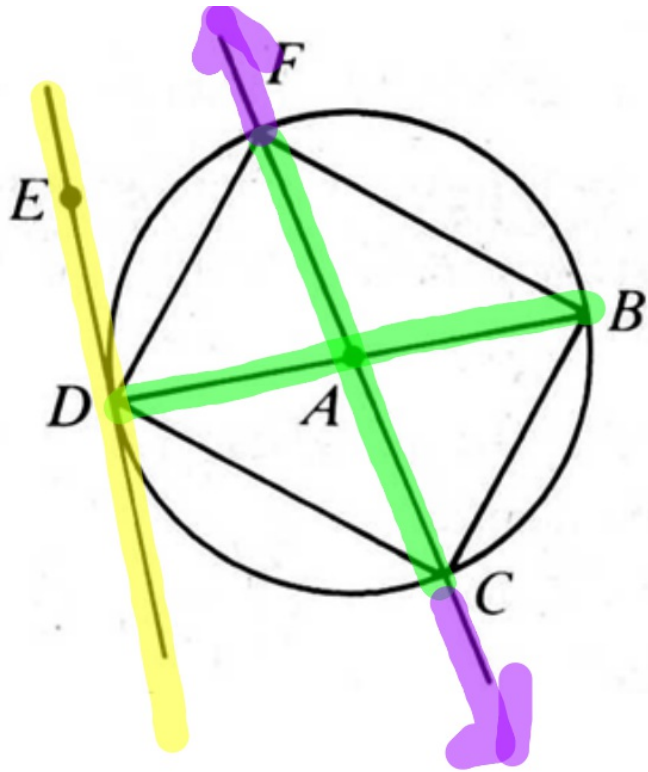
an obtuse triangle
inscribed in a circle



,

a parallelogram
inscribed in a circle





In $\odot A$, name:

1. the center ^{point A}
2. two diameters \overline{FC} \overline{DB}
3. a point of tangency ^{point D}
4. four radii \overline{AE} \overline{AB} \overline{AC} \overline{AD}
5. a tangent \overleftrightarrow{ED}
6. a secant \overleftrightarrow{FC} or \overleftrightarrow{FA}
7. six chords \overline{DF} \overline{FB} \overline{BC} \overline{CD} \overline{FC} \overline{DB}
8. Why is \overline{AC} not a chord of $\odot A$?
9. Why is \overleftrightarrow{BD} not a chord of $\odot A$?

\overleftrightarrow{BD} is a line that does not have endpoints

does \overline{AC} not have endpoints on the circle

(segment) \overline{BD} is a chord

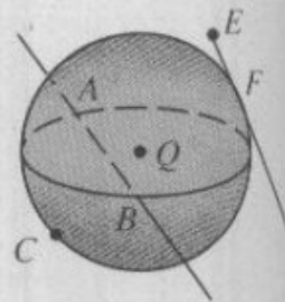
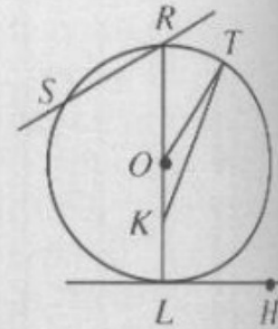
HOMWORK

HW 9.1

- Pg. 330 (CE): # 1 - 11
- Pg. 330 (WE): # 6 - 11

Classroom Exercises

1. Name three radii of $\odot O$.
2. Name a diameter.
3. Consider \overline{RS} and \overleftrightarrow{RS} . Which is a chord and which is a secant?
4. Why is \overline{TK} not a chord?
5. Name a tangent to $\odot O$.
6. What name is given to point L ?
7. Name a line tangent to sphere Q .
8. Name a secant of the sphere and a chord of the sphere.
9. Name 4 radii. (None are drawn in the diagram.)
10. What is the diameter of a circle with radius 8? 5.2? $4\sqrt{3}$? j ?
11. What is the radius of a sphere with diameter 14? 13? 5.6? $6n$?



HW 12.1
ORANGE
BOOK

■ Pg. 330

(CE):#

I - II

■ Pg. 330

(WE):#

6 - II

For each exercise draw a circle and inscribe the polygon in the circle.

- | | |
|---------------------------------|--------------------------------------------------------------|
| 6. A rectangle | 7. A trapezoid |
| 8. An obtuse triangle | 9. A parallelogram |
| 10. An acute isosceles triangle | 11. A quadrilateral $PQRS$, with \overline{PR} a diameter |

