

## Measurement - Ch. 2, 3

### I. How do scientists measure?

A. \_\_\_\_\_ – measurements based on

B. This is the standard \_\_\_\_\_.

C. The units are:

- 1.
- 2.
- 3.
- 4.
- 5.

D. Derived Units - Combination of Base Units

- 1.
- 2.
- 3.

E. Other units (Non SI units that you will encounter)

- 1.
- 2.
- 3.
- 4.

F. Prefixes

1. The metric system is organized by

2. Here are the ones you need to memorize: kilo-, centi-, milli-, micro-, nano-

- |  |   |
|--|---|
| ■ 1 <u>kilo</u> (k) = 1000                                 | ■ 0.001 kilo = 1                                |
| ■ 1 <u>centi</u> (c) = 0.01                                | ■ 100 centi = 1                                 |
| ■ 1 <u>milli</u> (m) = 0.001                               | ■ 1000 milli = 1                                |
| ■ 1 <u>micro</u> ( $\mu$ ) = 0.000001 = $1 \times 10^{-6}$ | ■ 1,000,000 micro = $1 \times 10^6$ micro = 1   |
| ■ 1 <u>nano</u> (n) = 0.000000001 = $1 \times 10^{-9}$     | ■ 1,000,000,000 nano = $1 \times 10^9$ nano = 1 |

### II. Significant Figures

A. Background

1. Not all numbers are significant. Some are placeholders and do not have value.
2. Only \_\_\_\_\_ are subject to significant digits.
- 3.

B. The \_\_\_\_\_ - How to identify significant digits!

1. \_\_\_\_\_ side: If a \_\_\_\_\_, then count the number of significant digits from the \_\_\_\_\_
2. \_\_\_\_\_ side: if a \_\_\_\_\_, then count the number of significant digits from the \_\_\_\_\_

3. How many significant figures do the following numbers have?

- 12.46 kg
- 0.846 mL
- 23,000,000 mm
- 24.82100 lb
- 1,240 s
- 0.008210 mol

4. Which of these numbers are in SI units?



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### C. Significant Figures for Calculations

#### 1. Addition & Subtraction: Round to

as the number in which the

a. Example:  $952.0\text{ cm} + 1407\text{ cm} + 23.911\text{ cm} + 158.18\text{ cm}$

b. Answer:

c. Only like units can be added, subtracted.

#### 2. Multiplication & Division: Round to

as the number with the

a. Example:  $3.05\text{ mm} \times 2.10\text{ mm} \times 0.75\text{ mm}$

b. Answer:

### D. Examples:

1.  $3.95\text{ g} + 2.879\text{ g} + 213.6\text{ g}$

a. Calculation:

b. Answer:

2.  $12.257\text{ m} \times 1.162\text{ m}$

a. Calculation:

b. Answer:

### E. Rounding:

## III. Factor Label Method to Solve Problems (Dimensional Analysis)

### A. Steps:

1. Write out the \_\_\_\_\_ with units.
2. Write out the \_\_\_\_\_ What conversion factors do you need?
3. Draw the "factor label table" starting with \_\_\_\_\_
4. Write \_\_\_\_\_
5. Add appropriate \_\_\_\_\_
6. \_\_\_\_\_ units (the units left should be the units you are finding)
7. \_\_\_\_\_
8. Check

B. Do not mix up the numbers though.

### C. Examples

1. How many meters are there in 203mm?

2. Express 0.746 $\mu\text{L}$  in milliliters.

3. How many minutes are in 45.9 fortnights? (Hint: 1 fortnight is 2 weeks)

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### IV. Scientific Notation

A. "Abbreviation" for very small/large numbers using

B. Conversion of numbers:

1. Move decimal until the

ii. Count the \_\_\_\_\_ moved. That is the \_\_\_\_\_.

3. If the decimal moves to the \_\_\_\_\_ then the exponent is \_\_\_\_\_. If the decimal moves to the \_\_\_\_\_, then the exponent is \_\_\_\_\_.

4. Check

5. Another way: If number \_\_\_\_\_, exponent \_\_\_\_\_ and vice versa.

C. Examples: Change the following numbers to scientific notation.

0.00456 in

750 g

7500.0 g

4.02110 cm

### V. Reliability in Measurement

A. Precision

1. In performing an experiment:

a. You get the

b. Not necessarily the right result.

B. Accuracy

1. In performing an experiment:

a. You get the

b. Usually needs to be

C. Is the following precise, accurate, neither or both?

D. Something can be

### VI. Making Measurements

A. Every instrument involves

B.

C. Always includes

D. With liquids, the \_\_\_\_\_ of the liquid is where the reading is taken.

E. A \_\_\_\_\_ is used to show the \_\_\_\_\_ of a measurement.

F.  $12.1 \pm 0.1\text{mL}$

### VII. Percent Error

A. Compares a measurement with an accepted value.

B.  $PE =$

C. PE value can be \_\_\_\_\_. Take the absolute value and treat it as a deviation.

### VIII. Ratios: Density

A. Density:

Determines if a substance

B.

C. Example: A block has a mass of 75 grams and these dimensions, 10.0 cm x 2.1 cm x 4.6 cm. What is the density of the block?