

### Study Guide 1.2 A

Pages 30 - 41

#### *Describing Distributions with Numbers*

The most common measure of center of a distribution is the \_\_\_\_\_

The Mean  $\bar{x}$

The Median

The \_\_\_\_\_ is said to be **resistant** to extreme observations.

The mean and the median of a symmetric distribution are \_\_\_\_\_.

If the distribution is *exactly* symmetric, \_\_\_\_\_.

#### *Measuring Spread: the quartiles*

The simplest useful numerical description of a distribution consists of both a measure of \_\_\_\_\_ and a measure of \_\_\_\_\_.

The **range** shows the \_\_\_\_\_.

The **quartiles** mark out \_\_\_\_\_.

The **interquartile range (IQR)** is defined as \_\_\_\_\_

We will call an observation an outlier if \_\_\_\_\_

\_\_\_\_\_

The Five Number Summary of a data set consists of

*The Boxplot*

The central box has its ends at \_\_\_\_\_. The line in the box is \_\_\_\_\_.  
The "whiskers" extend to \_\_\_\_\_ and \_\_\_\_\_.

Boxplots may be drawn either \_\_\_\_\_ or \_\_\_\_\_.

Be sure to include \_\_\_\_\_.

Because boxplots show less detail than histograms or stemplots, they are best used for \_\_\_\_\_.

What is the difference between a boxplot and a modified boxplot?

**Study Guide 1.2 B** pages 43 - 46 Review pages 47 - 53

The most common numerical description of a distribution is \_\_\_\_\_ and  
 \_\_\_\_\_.

*The Standard Deviation*

Variance  $s^2$  of a set of observations is \_\_\_\_\_  
 \_\_\_\_\_

$s^2 =$

The Standard Deviation  $s$  is \_\_\_\_\_  
 \_\_\_\_\_

$s =$

The standard deviation measures spread by looking at how far the observations are from their mean.

In fact, *the sum of the deviations of the observations from their mean will always*  
 \_\_\_\_\_.

The variance  $s^2$  is the \_\_\_\_\_.

The variance is large if \_\_\_\_\_; it is small if  
 \_\_\_\_\_.

The number  $n - 1$  is called \_\_\_\_\_.

## Properties of the Standard Deviation

- $s$  measures \_\_\_\_\_ and should be used only when \_\_\_\_\_
- $s = 0$  only when \_\_\_\_\_  
As the observations become more spread out about their mean \_\_\_\_\_
- $s$ , like \_\_\_\_\_ is strongly influenced by \_\_\_\_\_

The five-number summary is usually a better than the mean and standard deviation for describing a \_\_\_\_\_.

Use  $\bar{x}$  and  $s$  only for \_\_\_\_\_.

Since numerical measures of center and spread report specific facts about a distribution, but

they do not describe its entire shape, ALWAYS

- Be sure you read the summary on pages 47 and 48
- and the chapter review on pages 51 through 53.