

**Distance Formula:** distance traveled = rate of speed  $\times$  time traveled  
 $d = r t$   $t = \frac{d}{r}$

**Example 1:** Backwoods Sam can paddle his canoe 50 miles upstream against the current in the same time he can paddle 75 miles downstream with the current. The current is flowing at 3 miles per hour. Find Sam's paddling rate in still water.

$r = \text{Sam's rate}$

	$r$	$\cdot$	$t$	$=$	$d$
Upstream	$r-3$		$\frac{50}{r-3}$		$50$
Downstream	$r+3$		$\frac{75}{r+3}$		$75$

$$\frac{50}{r-3} = \frac{75}{r+3}$$

$r = 15 \text{ mph}$

**Work formula:** work done = rate of work (per unit of time)  $\times$  time on job  
 $w = r t$

**Example 2.** Jeff can build a brick wall in 5 days. Sergio can build the same wall in 4 days. Working together, how long will it take them to build the wall? ( $t$ )

$(\text{per day})$

	$r$	$\cdot$	$t$	$=$	$w$
Jeff	$\frac{1}{5}$		$t$		$\frac{t}{5}$
Sergio	$\frac{1}{4}$		$t$		$\frac{t}{4}$

$$20 \left( \frac{t}{5} + \frac{t}{4} \right) = \overset{\text{(job)}}{1}$$

$$t = 2\frac{2}{9} \text{ days}$$

**Example 3.** A painter works on a job for 10 days and is then joined by his associate. Together they finish the job in 6 more days. The associate would have done the job alone in 30 days. How long would it take the painter alone to do the job?

per day

	r	•	t	=	w
painter	$\frac{1}{r}$		16		$\frac{16}{r}$
associate	$\frac{1}{30}$		6		$\frac{1}{5}$

r = painter's days alone to do job

20 days = r

$$\frac{16}{r} + \frac{1}{5} = 1 \quad (\text{job})$$

$$\text{or } \frac{16}{r} = \frac{4}{5}$$