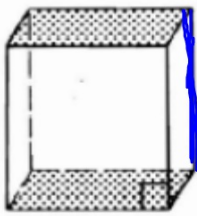


12-1 Prisms

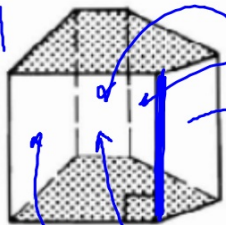
Date March 21

The shaded polygons are called bases. They are congruent and parallel.
A prism is named for its base.



Right
rectangular
prism

lateral
edge

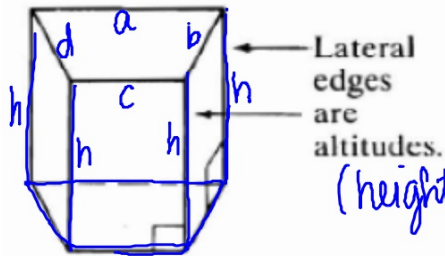


Right
pentagonal
prism

lateral faces

The parallelograms that are not bases are called lateral faces.

In right prisms, the lateral faces are rectangles. They intersect each other along
lateral edges.



Right trapezoidal prism

The **lateral area (LA)** of a prism is the sum of the areas of the lateral faces.

$$\begin{aligned}
 L.A. &= bh + ch + dh + ah \\
 &= h(b + c + d + a) \\
 &= ht. \times \text{perimeter of the base}
 \end{aligned}$$

Lateral Area of a Right Prism

$$L.A. = ph$$

The **total area (TA)** of a prism is the sum of all lateral faces and the two bases (B).

Total Area of a Right Prism

$$T.A. = LA + 2B$$

$B = \text{base areas}$

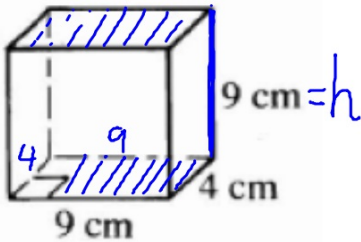
The **volume (V)** of a prism is the "airspace" inside of the prism.

Volume of a Prism

$$V = Bh$$

Examples: find lateral area, total area, and volume.

1.



$$L.A. = ph = 26 \cdot 9 = 234 \text{ cm}^2$$

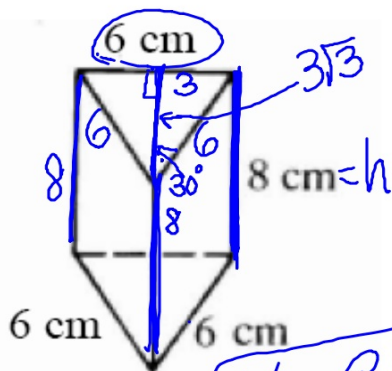
$$T.A. = L.A. + 2B$$

$$234 + 2(\underline{36}) = 306 \text{ cm}^2$$

$$V = Bh = 36 \cdot 9 = 324 \text{ cm}^3$$

(cubic cm)

2.



$$L.A. = ph = 18 \cdot 8 = 144 \text{ cm}^2$$

$$T.A. = LA + 2B$$

$$144 + 2\left(\frac{1}{2} \cdot 6 \cdot 3\sqrt{3}\right)$$

$$144 + 2(\underline{9\sqrt{3}}) = 144 + 18\sqrt{3} \text{ cm}^2$$

$$V = Bh = (9\sqrt{3})8 = 72\sqrt{3} \text{ cm}^3$$