

## 9-2 Translations

### Warm Up

Find the coordinates of the image of  $\triangle ABC$  with vertices  $A(3, 4)$ ,  $B(-1, 4)$ , and  $C(5, -2)$ , after each reflection.

1. across the  $x$ -axis

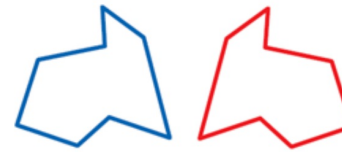
2. across the  $y$ -axis

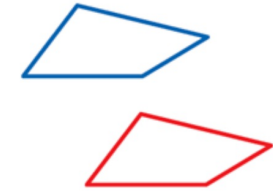
3. across the line  $y = x$

## 9-2 Translations

A  is a transformation where all the points of a figure are moved the same  in the same . A translation is an , so the  of a translated figure is  to the .

Tell whether each transformation appears to be a translation. Explain.

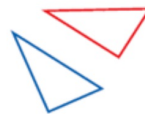





## 9-2 Translations

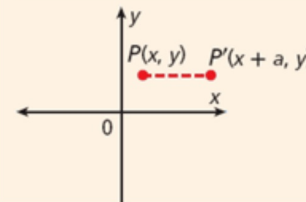
Tell whether each transformation appears to be a translation.



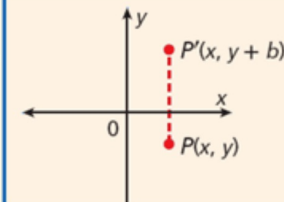



### Translations in the Coordinate Plane

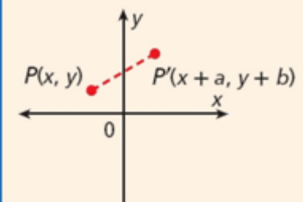
HORIZONTAL TRANSLATION  
ALONG VECTOR  $\langle a, 0 \rangle$




VERTICAL TRANSLATION  
ALONG VECTOR  $\langle 0, b \rangle$




GENERAL TRANSLATION  
ALONG VECTOR  $\langle a, b \rangle$



## 9-2 Translations

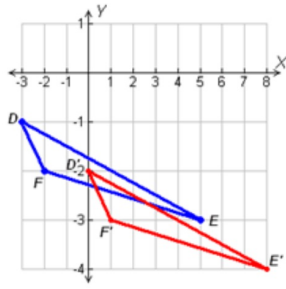
Translate the triangle with vertices  $D(-3, -1)$ ,  $E(5, -3)$ , and  $F(-2, -2)$

The image of  $(x, y)$  is

$D(-3, -1)$

$E(5, -3)$

$F(-2, -2)$



Graph the preimage and the image.

## 9-2 Translations

Translate the quadrilateral with vertices  $R(2, 5)$ ,  $S(0, 2)$ ,  $T(1, -1)$ , and  $U(3, 1)$  along the vector  $\langle -3, -3 \rangle$ .

Also written like this

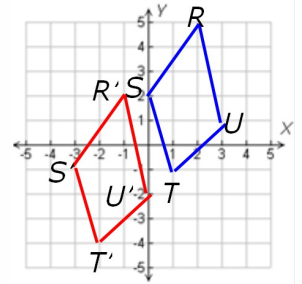
The image of  $(x, y)$  is  $(x - 3, y - 3)$ .

$R(2, 5)$

$S(0, 2)$

$T(1, -1)$

$U(3, 1)$



Graph the preimage and the image.

## 9-2 Translations

5. A rook on a chessboard has coordinates  $(3, 4)$ . The rook is moved up two spaces. Then it is moved three spaces to the left. What is the rook's final position? What is the rule for the translation that moves the rook from its starting position to its final position?

### Lesson Quiz: Part I

1. Tell whether the transformation appears to be a translation.




## 9-2 Translations

Translate the figure with the given vertices according to the given translation

3.  $G(8, 2)$ ,  $H(-4, 5)$ ,  $I(3, -1)$ ; along the vector  $\langle -2, 0 \rangle$

4.  $S(0, -7)$ ,  $T(-4, 4)$ ,  $U(-5, 2)$ ,  $V(8, 1)$ ; along the vector  $\langle -4, 5 \rangle$