

## **WARMUP #1**

How was your extra long weekend?

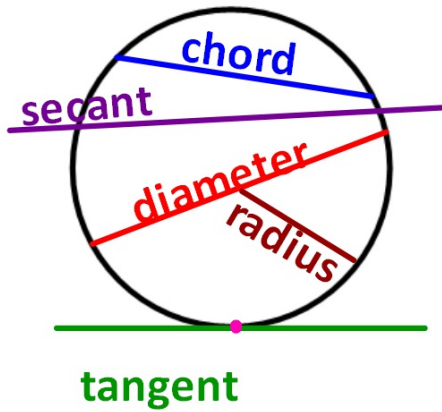
Write 5 sentences telling me about your weekend.

# **CHAPTER 9: CIRCLES**

## **SECTION 9.1: BASIC TERMS**

### **Standards:**

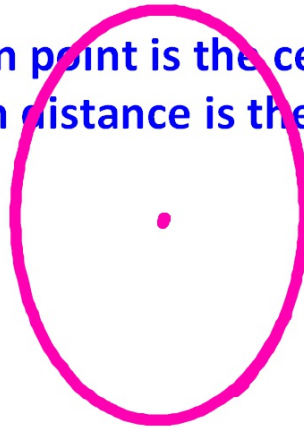
7.0 - Students prove and use theorems involving the properties of parallel lines cut by a transversal, the properties of quadrilaterals, and the properties of circles.



## CIRCLE

A circle is the set of all points in a plane at a given distance from a given point in that plane.

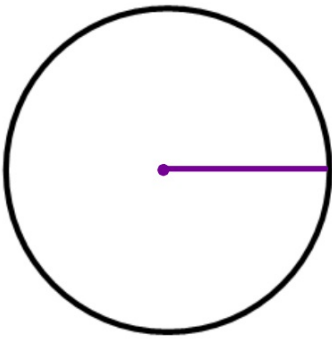
The given point is the center and the given distance is the radius.



## RADIUS

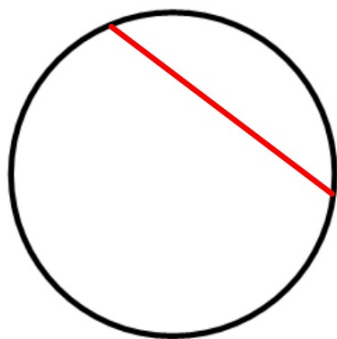
any segment that joins the center to a point on the circle.

All radii are  $\cong$



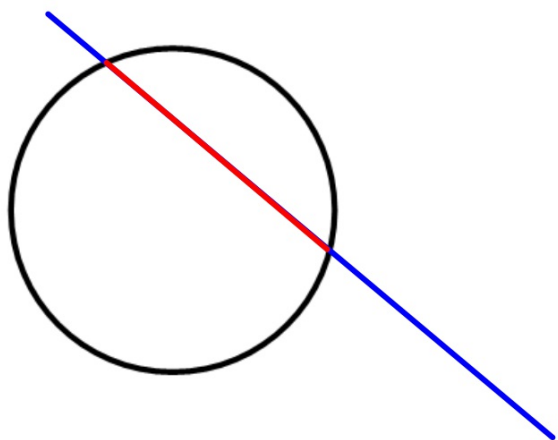
## CHORD

**a segment whose endpoints lie on a circle**



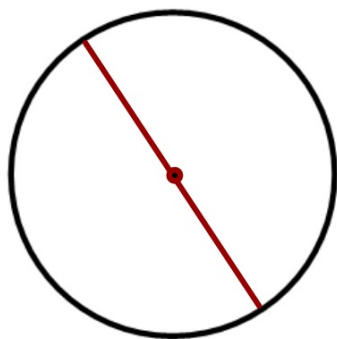
## SECANT

a LINE that contains a chord.



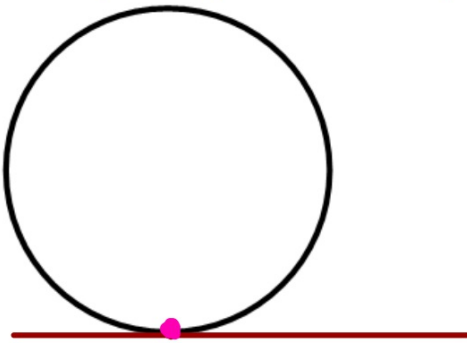
## DIAMETER

a chord that contains the center of a circle.



## TANGENT

a line in the plane of a circle that intersects the circle in exactly one point, called the **point of tangency**.

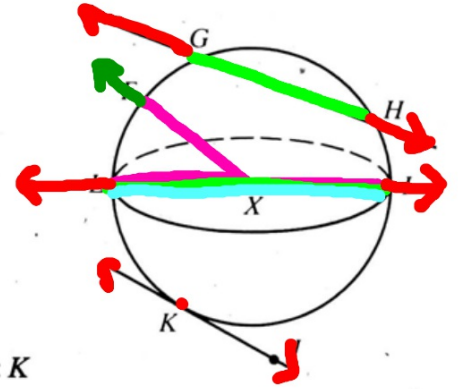


**point of tangency**

## SPHERE

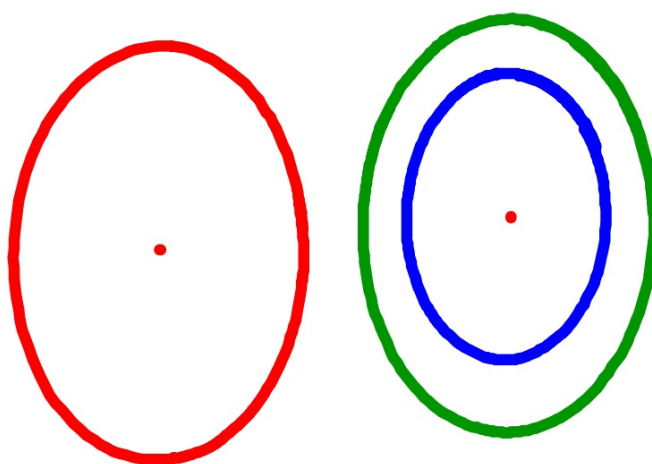
A sphere with center  $O$  and radius  $r$  is the set of all points in space at a distance  $r$  from point  $O$

center:  $X$   
radii:  $\overline{XL}, \overline{XF}, \overline{XI}$   
chords:  $\overline{GH}, \overline{LI}$   
diameter:  $\overline{LI}$   
secants:  $\overleftrightarrow{GH}, \overleftrightarrow{LI}$   
tangent:  $\overleftrightarrow{KJ}$   
point of tangency:  $K$



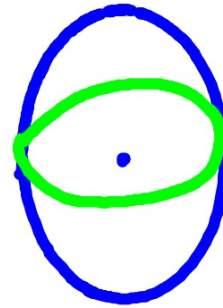
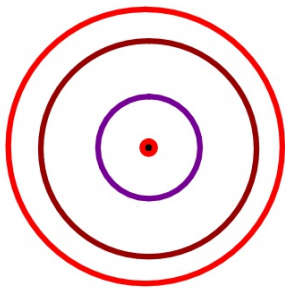
## CONGRUENT CIRCLES/SPHERES

have  $\cong$  radii



## CONCENTRIC CIRCLES

**circles that lie in the same plane and have the same center**

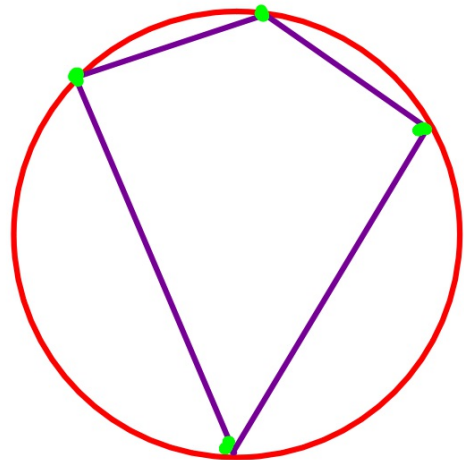
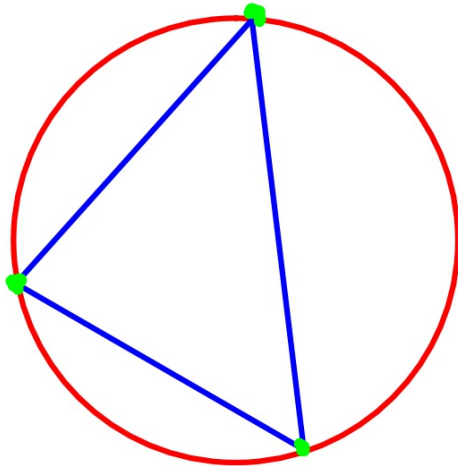


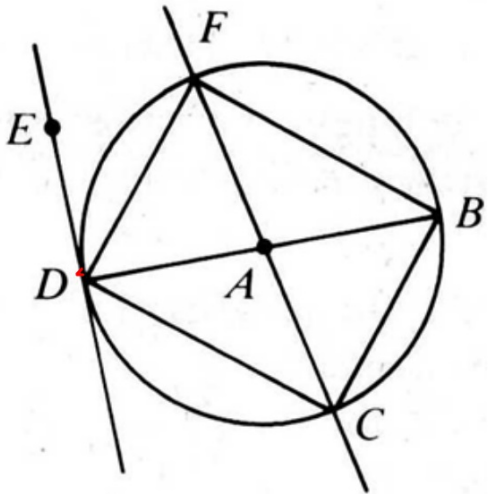
## CONCENTRIC SPHERES

have the same center

## INSCRIBED POLYGON/CIRCUMSCRIBED CIRCLE

A polygon is inscribed in a circle and the circle is circumscribed about the polygon when each vertex of the polygon lies on the circle.





In  $\odot A$ , name:

1. the center **A**
2. two diameters
3. a point of tangency **D**
4. four radii
5. a tangent **ED**
6. a secant
7. six chords
8. Why is  $\overline{AC}$  not a chord of  $\odot A$ ?
9. Why is  $\overline{BD}$  not a chord of  $\odot A$ ?

- $\overline{DB}$   $\overline{FC}$**
2. two diameters
  4. four radii  
 $\overline{AF}$   $\overline{AB}$   $\overline{AD}$   $\overline{AC}$
  6. a secant  
 $\overline{FC}$   $\overline{DB}$   
 $\overline{DF}$   $\overline{FB}$   
 $\overline{BC}$   $\overline{CD}$

A chord is a seg. not a line.

It is a radius  
 DEF CHORD (2 pts on circle)

# HOMEWORK

## Assignment #9.1

- Page 330 CE #1-11
- Page 331 WE #5-15

**\*\*TUES FEB 28th - QUIZ 9.1-9.4\*\***

**\*\*FRI MARCH 2nd - CIRCLES QUIZ\*\***

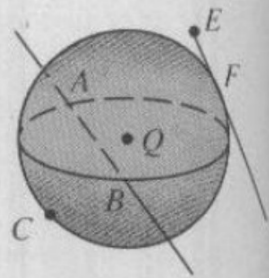
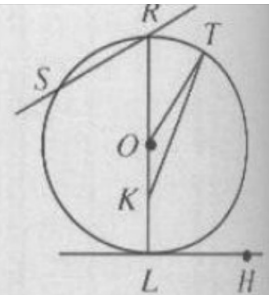
**\*\*MON MARCH 5th - QUIZ CH 9\*\***

**\*\*WED MARCH 7th - TEST CH 9\*\***

Assignment #9.1

■ Page 330 CE #1-11

■ Page 331 WE #5-15



1. Name three radii of  $\odot O$ .
2. Name a diameter.
3. Consider  $\overline{RS}$  and  $\overleftrightarrow{RS}$ . Which is a chord and which is a secant?
4. Why is  $\overline{TK}$  not a chord?
5. Name a tangent to  $\odot O$ .
6. What name is given to point  $L$ ?
7. Name a line tangent to sphere  $Q$ .
8. Name a secant of the sphere and a chord of the sphere.
9. Name 4 radii. (None are drawn in the diagram.)
10. What is the diameter of a circle with radius 8? 5.2?  $4\sqrt{3}$ ?  $j$ ?
11. What is the radius of a sphere with diameter 14? 13? 5.6?  $6n$ ?

5. The radii of two concentric circles are 15 cm and 7 cm. A diameter  $AB$  of the larger circle intersects the smaller circle at  $C$  and  $D$ . Find two possible values for  $AC$ .

For each exercise draw a circle and inscribe the polygon in the circle.

- |                                 |  |
|---------------------------------|--|
| 6. A rectangle                  | 7. A trapezoid   |
| 8. An obtuse triangle           | 9. A parallelogram   |
| 10. An acute isosceles triangle | 11. A quadrilateral $PQRS$ , with $\overline{PR}$ a diameter |

For each exercise draw  $\odot O$  with radius 12. Then draw radii  $\overline{OA}$  and  $\overline{OB}$  to form an angle with the measure named. Find the length of  $\overline{AB}$ .

- |                        |                         |
|------------------------|-------------------------|
| 12. $m\angle AOB = 90$ | 13. $m\angle AOB = 180$ |
| 14. $m\angle AOB = 60$ | 15. $m\angle AOB = 120$ |

